

Spatio-thematic data in a DL-based prototypical GIS DoCoMo Euro Labs 16.2.2005

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• Vision of a "deductive GIS"

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  - Conventional GIS
  - Scenario: digital city maps ("DISK")
  - Desirable reasoning services
  - Ontology-based querying of the DISK

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  - Bottom-up approach
  - Idea for architecture
  - Short Description Logic (DL) reminder
  - RacerPro:  $\mathcal{ALCQHI}_{\mathcal{R}^+}(\mathcal{D}^-)$
  - Representing and querying the DISK

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  - DLMAPS query language  $\rightarrow$  nRQL
  - Description of nRQL
  - Hybrid representations and queries
  - The (experimental) RCC substrate

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- <u>Reasoning</u> with spatial concepts?



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### **Spatial Incompleteness (Lemon)**



 $circle_{r=10}(x) \wedge circle_{r=10}(y_1) \wedge \ldots \wedge circle_{r=10}(y_7) \wedge \\ EC(x, y_1) \wedge \ldots \wedge EC(x, y_7) \wedge \\ (EC(y_1, y_2) \wedge EC(y_2, y_3)) \wedge \\ (EC(y_2, y_3) \wedge EC(y_3, y_4)) \wedge \ldots \wedge \\ (EC(y_6, y_7) \wedge EC(y_7, y_1))$ Satisfi able?





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### **Spatial Incompleteness (Lemon)**



**Unsatisfiable!** 



### **Spatial Incompleteness (Lemon)**





Concrete Geometry

### Starting point: a digital vector map

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#### Thematic information in a map

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#### Modeling of thematic concepts

Intensional Component



**Qualitative Description** 

Some concepts are really "spatio-thematic"

**Concrete Geometry** 

DoCoMo Euro-Labs, Michael Wessel – p.10/52



#### Query Component

**Intensional Component** 

Simple Spatial Queries:

Retrieve all areas contained within this area



#### **Extensional Component**



### Purely spatial queries



Purely thematic queries



"Spatio-thematic" queries

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  - Representation of certain selected spatio-thematic aspects of a concrete map ("geographic world")
  - ? Which spatial and thematic aspects?
  - ? Underspecifi ed / indeterminate data?
  - ? Unified or hybrid representation of spatial and/or thematic aspects (different 'sources')?

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  - Modeling of geo ontologies with (spatial?) geo concepts in a description language (not necessary DL)
  - ? Which spatial and thematic aspects?
  - ? Thematic, spatial, spatio-thematic concepts?
  - ? Combined or separated description languages for different aspects?
  - ? Spatio-thematic interaction?

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  - Retrieval of interesting objects / constellations; 'map analysis / reasoning"
  - ? Kind of queries
  - ? With spatial and thematic aspects are addressable?
  - ? Usage of concepts from the ontologies within queries
  - ? Evaluation of queries ('specialists' for sources)?

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  - $\mathcal{E}$ : consistency checking of data
  - $\mathcal{I}$ : consistency checking of ontology & concepts
  - $\mathcal{I}, \mathcal{Q}$ : satisfi ability and entailment of queries / concepts
  - *I*, *Q*: computation of query / concept subsumption hierarchies ('taxonomies'')
  - $\mathcal{E} \times \mathcal{I}$ : instance "realization"
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  - Very hard, problems with decidability
  - Long way to go until we get a working system
- Practitioner's / Engineer's Approach:
  - Bottom Up, use and exploit existing components
  - Use an existing DL system: RacerPro
  - Add expressive query language suitable for ontology-based spatio-thematic querying
  - More limited but one gets a working system soon

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- Setting 2:
  - Source 1: Thematic annotations  $\rightarrow$  DL ABox
  - Source 2: Map geometry  $\rightarrow$  spatial box
  - Expressive <u>hybrid</u> query language needed
  - Query expansion

# **Ontology-based Querying (2)**

- Benefits
  - Users can abstract from sources and schemas of the sources
  - Ontology is formal → queries can be reasoned about (checking consistency, entailment, equivalence)
  - Ontologies can capture taxonomic ("is-a") relationships
  - The mapping expressed by the ontology is easily adjustable
  - ⇒ declarative programming, the "ontology view" on the data can be changed easily



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  - $C \sqcap \neg D$  unsatisfiable
- Simple example
  - $human \sqcap male \sqsubseteq human$
  - $human \sqcap male \sqcap \neg human$  unsatisfiable
  - $human \sqcap female \sqsubseteq female$
  - $human \sqcap female \sqsubseteq human \sqcup female$



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    TBox {*mother* ≐*human* □ *female* □ ...}



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#### **Expressive DLs**

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- *H*: Role hierarchies, *has\_son* <u>i</u>*has\_child*
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  - ⇒ RCC8 network in the ABox (network is always consistent)



### **Illustration: DISK ABox**



## **Querying the DISK (Setting 1)**

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  - Expressive queries wanted:

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- Variables are bound in parallel, according to association
### **Hybrid Queries (Setting 2)**



 $?x^*/?x$  are bound in parallel



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  - $industrial\_area(?x), creek(?y), lake\_or\_pond(?z), \\ contaminated(?z), chemical\_plant(?f), park(?u), \\ borders(?y, ?x), flows\_in(?y, ?z), contains(?u, ?z), \\ contains(?x, ?f)$
- Query rewriting / expansion

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  - $lake\_or\_pond(?z) \rightarrow$  $?z^*: (lake \sqcup pond)$

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  - $borders(?y,?x), flows_in(?y,?x) \rightarrow EC(?y,?x)$

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  - $contaminated(?z) \rightarrow$  $?z^*: \exists water\_quality.poisoned$

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## From DLMAPS to nRQL

- ... DLMAPS query engine became core of nRQL engine
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```
(((?x betty) ((told-value (age ?x)) 45))
((?x diana) ((told-value (age ?x)) 55))
```





Т





DoCoMo Euro-Labs, Michael Wessel – p.27/52









- Queries have a head and a body: (retrieve <head> <body>)
- Syntax for <head>

head := (head\_entry\*)
head\_entry := object | head\_projection\_operator
object := variable | individual
variable := a symbol beginning with "?"

*individual* := a symbol

 $head\_projection\_operator :=$ 

(cd\_attribute object) |
(told-value (cd\_attribute object)) |
(told-value (datatype\_property object)) |
(annotations (annotation\_property object))



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- Syntax for <body>

atom := (object concept\_expr) | (object object role\_expr) |
 (object object (constraint chain chain constraint\_expr)) |
 (same-as variable individual)

 $chain := (role\_expr^* cd\_attribute)$ 

Example concept query atoms

- (?x woman)
- (betty woman)

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#### Example role query atoms

- (?x ?y has-child)
- (betty ?child-of-betty has-child)
- (?x ?y (inv has-child))
- (?x ?y (not has-father))

- Syntax for <body>
- $body := atom \mid ( \{ and \mid union \} \ body^*) \mid ( \{ neg \mid inv \} \ body ) \mid$ (project-to  $(object^*) \ body$ )
- atom := (object concept\_expr) | (object object role\_expr) |
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#### Example constraint query atoms

(?x ?y (constraint (has-mother age)

```
(has-father age) <))</pre>
```

• (?x ?y (constraint (has-brother age)

(age)

(= age-1 (+ 8 age-2))))

- Syntax for <body>
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Example same-as query atoms

• (same-as ?x betty)

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nRQL Language – Syntax (2)	
• Syntax for <	oody>
$body := atom \mid ( \{ \epsilon \} \}$	and $  union \} body^* )   ( \{ neg   inv \} body )  $
(project	a-to (object*) body)
$atom := (object \ c$	$eoncept\_expr) \mid (object \ object \ role\_expr) \mid$
(object o	<pre>object (constraint chain chain constraint_expr))  </pre>
(same-a	as variable individual)
$chain := (role\_exp$	$pr^* \ cd\_attribute)$
$concept\_expr$	= a RacerPro concept, with some extensions for OWL
$role\_expr$	:= a RacerPro role   (inv role_expr)   (not role_expr)
$constraint\_expr$	:= a RacerPro concrete predicate
$cd\_attribute$	:= a RacerPro concrete domain attribute
$datatype\_property$	:= a RacerPro role used as OWL datatype property
annotation_property	:= a RacerPro role used as OWL annotation property

# nRQL Variables

- Variables can only be bound to ABox individuals, not to concrete domain objects or even concrete domain values
- nRQL offers two kinds of variables: ?x, \$?x
  - ?x prohibits binding to individuals which are already bound by other variables, e.g. ?y (mapping must be injective)
  - "UNA" for variables
  - ? (retrieve (?x ?y) (and (?x man) (?y man)))
  - > NIL
  - ? (retrieve (\$?x \$?y) (and (\$?x man)

(\$?y man)))

> (((\$?X CHARLES) (\$?Y CHARLES)))

# **Complex nRQL Queries**

- Compound nRQL queries are defined inductively
  - Every query atom ai is a body.
  - If a1 ... an are query bodies, then the following expressions are also bodies
    - (neg ai)
    - (inv ai)
    - (and al ...an)
    - (union al ...an)
    - (project-to (objects-in-ai) ai)
- Each variable creates a new axis in an *n*-dimensional tuple space
- A projection (specified by <head>) is made before that set is returned.









 $\mathbf{x}$ 






(retrieve (?x)

?y

(and (and (?x woman) (?y top))

(and (?x top) (?y man))

(?x ?y has-child)))



 $\mathbf{?x}$ 





(retrieve (?x)









# **Negation in nRQL**

- nRQL offers NAF with neg
- Semantics: simple set complement
  - well-defined for concept and role query atoms
  - well-defined for compound queries (DeMorgan etc.)
  - some "tricks" are needed for same-as and constraint query atoms
- Classical DL-like negation
  - obviously, in concept query atoms
  - but also in role query atoms
    - (?x ?y (not has-father))

(retrieve (?x)



2x

?y

(retrieve (?x)

(neg (and (?x woman)

(?y man)

(?x ?y has-child))))



(retrieve (?x) (union (neg (?x woman)) (neg (?y man)) ?y (neg (?x ?y has-child)))) ?x

(retrieve (?x) (union (neg (?x woman)) (neg (?y man)) ?y (neg (?x ?y has-child))))  $\mathbf{x}$ 

?y

(retrieve (?x)

(union (neg (?x woman))

(and (?x top) (neg (?y man))) (neg (?x ?y has-child))))

?x



(retrieve (?x) (and (neg (?x woman) (?y top))) (union (?x top) (neg (?y man))) ?y (and (neg (?x ?y has-child))))  $\mathbf{?x}$ 



(retrieve (?x)



2x



?y



(neg (and (?x woman)

(?y man)

(?x ?y has-child))))











(retrieve (?x)



# **Queries with Individuals**

- ? (retrieve (betty)
  - (betty woman))
- > (((\$?BETTY BETTY)))
- Explanation: query is rewritten into

(AND (SAME-AS \$?BETTY BETTY) (\$?BETTY WOMAN))

- **\$?BETTY** is a variable that does not obey the unique name assumption for variables
- (SAME-AS \$?BETTY BETTY) enforces binding of \$?BETTY to BETTY

#### **Semantic Consequences**

• "NAF" for atoms with individuals can be tricky

```
(retrieve ($?betty)
  (neg (and ($?betty woman)
                            (same-as $?betty betty))))
=
(retrieve ($?betty)
  (<u>UNION</u> (neg ($?betty woman))
                     (neg (same-as $?betty betty))))
```

• one <u>must</u> define the semantics in such a way if the orthogonality of the language shall be preserved!

# **The Projection Operator**

- We can retrieve all woman having children with (retrieve (?x)
  - (and (?x woman) (?x ?y has-child)))
- How can we retrieve woman which have <u>no</u> (known) children?
- ? (retrieve (?x)
  - (?x (and woman (all has-child bottom))))
- ? (retrieve (?x)
  - (and (?x woman)

(neg (?x ?y has-child))))

- ? (retrieve (?x)
  - (neg (and (?x woman) (?x ?y has-child))))

# **The Projection Operator (2)**

Q1: (retrieve (?x)

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# **The Projection Operator (2)**

Q1: (retrieve (?x)

(and (?x woman) ?y (neg (?x ?y has-child)))) ?x









# **The Projection Operator (2)**

Q2: (retrieve (?x)

?у

(neg (and (?x woman)

(?x ?y has-child))))









# The Projection Operator (2) Q3: (retrieve (?x) (and (?x woman)) (neg (project-to (?x)) ?y (?x ?y has-ch:



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# ... Some Syntactic Sugar

- Due to the new projection operator, some "special syntax" from the older nRQL (DL '04) can now be expressed
- (?x (has-known-successor has-child)) = (project-to (?x) (?x ?y has-child))
- (?x NIL has-child) (borrowed from LOOM)
   = (neg
  - (?x (has-known-successor has-child)))
  - = (neg

(project-to (?x) (?x ?y has-child)))

now expressible in terms of project-to

# **Querying OWL KBs**

• OWL datatype properties:

<owl:Class rdf:ID="Person">
 <rdfs:label>person</rdfs:label>
</owl:Class>

<owl:DatatypeProperty rdf:ID="age">
 <rdfs:domain rdf:resource="#Person" />
 <rdfs:range rdf:resource=
 "http://www.w3.org/2001/XMLSchema#integer" />
 </owl:DatatypeProperty>

<Person rdf:about="http://www.test.com/michael">
 <age>34</age>
</Person>
# **nRQL & Datatype Properties**

- Idea: handle OWL DTP like concrete domain attributes
- ? (retrieve

(?x

```
(datatype-fillers
```

(|http://www.test.com/test.owl#age| ?x)))

(?x (some http://www.test.com/test.owl#age)

```
(and (min 30) (max 35)))))
```

> ((((?X |http://www.test.com/michael|)

((:TOLD-VALUE

( http://www.test.com/test.owl#age ?X)) (34))))

 Extended RacerPro concept syntax (expressions like (and (min 30) (max 35)) only recognized by nRQL) <owl:AnnotationProperty rdf:ID="my-comment">
 <rdf:type rdf:resource=
 "http://www.w3.org/2002/07/owl#DatatypeProperty"/>
 <rdfs:domain rdf:resource="#person"/>
</owl:AnnotationProperty>

<person rdf:ID="i">
 <my-comment rdf:datatype=
 "http://www.w3.org/2001/XMLSchema#string"
 >My comment</my-comment>
 </person>

- A special head projection operator annotations (told-value) is provided by nRQL
- Similar to querying for datatype properties

# **Expressivity Problems**

- Access to "data values" in OWL docs (fillers of datatype/annotation properties) is restricted
- from the DL perspective, only the (extended) RacerPro concept expression language can be used
- How to retrieve all individuals which have (CD attribute or DTP) fillers containing substring *x*?
- Solution: maintain a <u>data substrate</u> in parallel to an ABox
- the <u>data substrate</u> is used to automatically "mirror" the ABox
- offer query access to this substrate by means of a <u>hybrid</u> query language nRQL

- New sort of variables: \*?x (\*\$?x), ranging over data nodes
- Data nodes can also be data values in OWL documents
- Data nodes/edges have descriptive labels: kind, role, property, ...
- Notion of entailment for labels of nodes/edges
- Data query atoms are in pos. CNF & contain literals and predicates.



Associates an RCC8 (RCC5) network with an ABox

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- No knowledge about relationship: use disjunction of all 8 base relations



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#### RCC5 Composition Table

0	DR(a,b)	PO(a,b)	EQ(a,b)	PPI(a,b)	PP(a,b)
DR(b,c)	*	DR PO PPI	DR	DR PO PPI	DR
PO(b,c)	DR PO PP	*	РО	PO PPI	DR PO PP
EQ(b,c)	DR	PO	EQ	PPI	PP
PP(b,c)	DR PO PP	PO PP	PP	PO EQ PP PPI	PP
PPI(b,c)	DR	DR PO PPI	PPI	PPI	*

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- Inference patterns of the form  $R(x,y) \circ S(y,z) \to T_1(x,z) \lor \cdots \lor T_n(x,z)$
- Notions of consistency:
  - Constraint satisfaction: find an instantiation of the network with base relations such that the composition table axioms are satisfied (requires search, exponential)

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- Inference patterns of the form  $R(x,y) \circ S(y,z) \to T_1(x,z) \lor \cdots \lor T_n(x,z)$
- Notions of consistency:
  - Polynominal methods (incomplete): Constraint propagation, "path or 3-consistency algorithm": for all x, y, z, compute

 $T(x,z) =_{def} T(x,z) \cap R(x,y) \circ S(y,z)$ until fixpoint is reached

- Charateristics of RCC relations captured by "composition table"
- Inference patterns of the form  $R(x,y) \circ S(y,z) \to T_1(x,z) \lor \cdots \lor T_n(x,z)$
- Notions of consistency:
  - Spatial realizabilty: find a spatial model (not considered here)



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 $\models \overline{DR(A, D)}$  $\models PP(A, C)$  $\models \{PPI, PO, DR\}(C, D)$  $\models$ 

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burg- H

(in-rcc-box geo-example :rcc5) (implies city bavarian-city) (implies software-department computer-science-department) (implies computer-science-department university-department) (implies computer-science-department it-specialists) (implies it-company it-specialists) (implies it-company company)

(rcc-node germany country country) (rcc-node hamburg city city) (rcc-node munich bavarian-city bavarian-city) (rcc-node harburg district district) (rcc-node sts software-department software-department) (rcc-node docomo-euro-labs company it-company)

(rcc-related germany hamburg :ppi) (rcc-related germany munich :ppi) (rcc-related hamburg harburg :ppi) (rcc-related hamburg munich :dr) (rcc-related munich docomo-euro-labs :ppi) (rcc-related hamburg sts :ppi)

- (((?X GERMANY) (?Y DOCOMO-EURO-LABS))
  - ((?X GERMANY) (?Y STS)))

- (retrieve (?x ?y) (and (?x country) (?\*x ?\*y :ppi) (?y it-specialists)))
- (((?X GERMANY) (?Y DOCOMO-EURO-LABS)) ((?X GERMANY) (?Y STS)))
- (((?X DOCOMO-EURO-LABS) (?Y STS))
  - ((?X STS) (?Y DOCOMO-EURO-LABS)))
#### The RCC Substrate (4)

(((?X GERMANY) (?Y DOCOMO-EURO-LABS)) ((?X GERMANY) (?Y STS)))

(((?X DOCOMO-EURO-LABS) (?Y STS))

((?X STS) (?Y DOCOMO-EURO-LABS)))

> (retrieve (?x ?y)

(and (?\*x ?\*y :dr) (?x it-specialists)

(?y it-specialists)

(?\*y ?\*z :pp) (?z bavarian-city)))

(((?X STS) (?Y DOCOMO-EURO-LABS))

((?X DOCOMO-EURO-LABS) (?Y STS)))

# **RCC Substrate & OWL?**

- OWL DL =  $\mathcal{SHOIN}(Dn)$
- RacerPro supports  $\mathcal{SHIN}(Dn)$  (Nominals,  $\mathcal{O}$ , approximated)
- An OWL KB can be <u>mirrored</u> into the data substrate (additional retrieval predicates possible)
- Idea: declare a set of object properties as spatial relationships, then automatically create an RCC substrate from an OWL KB
- $\Rightarrow$  "RCC substrate" addition for OWL
  - Already requested by a user of RacerPro, but not implemented yet

• Query consistency

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  - Check satisfiability seperately
  - ABox assertions: construct an ABox from the conjuncts, replacing variables with individuals, check for ABox satisfiability
  - RCC conjuncts: construct an RCC substrate and check its consistency
  - Conjecture: somehow "weak" since no interaction, but quite useful in this scenario

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 $query(?germany,?city,?sea) \leftarrow$ 

 $germany(?germany^*), federal\_division(?division^*),$ 

 $german\_city(?city^*), (baltic\_see \sqcup north\_sea)(?sea^*),$ 

PPI(?germany,?division), PPI(?division,?city),

DR(?division,?sea)

 $query(?country,?city,?ocean) \leftarrow$ 

 $country (?country^*), city (?city^*), ocean (?ocean^*),$ 

DR(?ocean,?city), PPI(?country,?city)



Two queries - does Green entail Blue?

## **Reasoning about Queries**



Adding entailed constraints for Green

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#### **Reasoning about Queries**



#### Match - Green is more specific than Blue

- Query consistency
  - ⇒ Reduction to appropriate ABox / RCC consistency checks
- Hybrid query containment
  - $\Rightarrow$  By reduction to query consistency

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# Conclusion

- Handling of space by logical means is difficult
- Standard-DLs or languages such as OWL are not tailored for this purpose
- Good for thematic aspects
- Tailored spatial languages should be decidable (conflict: expressiveness vs. decidability)
- The OWL "standard ontologies" for GIS (found on the web) can be understood as data schema specifications for GIS data, reasoning concerning the spatial aspects is not addressed
- RacerPro supports "spatial reasoning" only in the query answering engine



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Thanks for your attention!

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